

1-1 Essentials of Compilation - Jeremy Siek

Compiler : $A \rightarrow B$

A is the type of program of lang X

B is lang Y

gcc : $C \rightarrow X86$

clang : $C \rightarrow LLVM$

llvm : $LLVM \rightarrow X86$
ARM

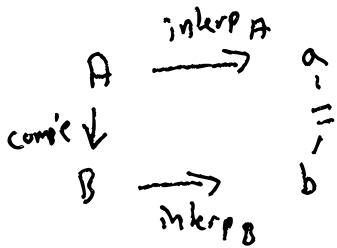
1-2]

When is a compiler correct?

compile : $A \Rightarrow B$

interp_A : $A \rightarrow \text{answer}$

interp_B : $B \rightarrow \text{answer}$



$\forall p \in A.$

interp_A(p)

=

interp_B(compile(p))

1-3)

When is a compiler "good"?

there is a big "gap" between A & B

two different compilers

$$C_1 : A \rightarrow B$$

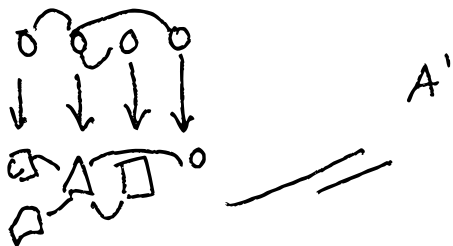
$$M : B \rightarrow N$$

$$C_2 : A \rightarrow B$$

$$C_1 \succ C_2 \quad \text{iff} \quad M(C_1(P)) \succ M(C_2(P))$$

1-4)

// compiler : $A \rightarrow B$



$R_0 : p ::= (\text{Program}^{info} e)$

$e ::= \text{number}$

| $(\text{can } e)$

| $(\text{+ } e \ e)$

| (read)

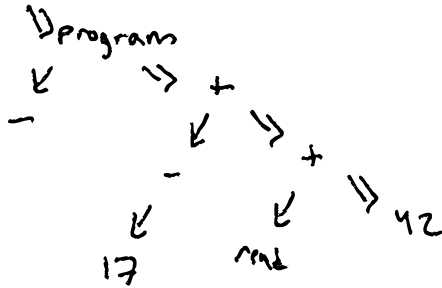
1-5)

S-expressions

"return -17 + read() + 42;"

⇒

(program - (+ (- 17) (+ (read) 42)))



```
new Program (
  true,
  new Add (
    new Negate (
      new Num (17)),
    new Add (
      new Read(),
      new Num (42)))
```

["program", true, ["+", ["+", 17], ["+", ["read", 42]]]]

1-6/ real answers
x

interp : $\mathbb{R}_0 \rightarrow \text{int}$

interp (Num n) = n

interp (Neg e) = -1 * interp (e)

interp (Add l r) = interp l + interp r

interp (Read) = ① ask the user, scanf
② go grab one of 'em

1-7

$$z^n : m+ \rightarrow R_0$$

$$\text{interp}(z^n(m)) = z^m$$

$$z^n 0 = 1 \quad (\text{Num } 1)$$

$$z^n(1+m) = (+ \quad (z^n m) \quad (z^n m))$$

$$= \text{new Add}(x, x)$$

$$\text{where } x = z^n m$$

$$z^n z =$$



1-8)

$\text{randp} : \text{int} \rightarrow \mathbb{R}_0$

$\text{randp } 0 = \text{flip a coin}$ heads \rightarrow (head)
tails \rightarrow num $\in (0, 1024)$

$\text{randp } (1+n) = \text{flip a coin}$ heads \rightarrow $(- \text{randp } n)$
tails \rightarrow $(+ \text{randp } n)$
 $(\text{randp } n)$

$\text{randp } 2 = (- (\text{randp } 1))$
 $= (- (+ (\text{randp } 0) (\text{randp } 0)))$
 $= (- (+ (\text{rand}) (2)))$

1-9

optimizer : $R_0 \Rightarrow A$

opt : $R_0 \Rightarrow R_0$

opt $n = n$

opt read = read

opt $(- e)$ = not-opt (opt e)

not-opt = cases

Num $n \rightarrow$ Num $(-1 * n)$

Neg $e' \rightarrow e'$

Add (Num n) $e' \rightarrow$ Add

not-opt (Num n)
not-opt e'

$e' \rightarrow$ Neg e'

1-10)

opt (Add l r) = cases (opt l, opt r)

(Num ln, Num rn) \rightarrow Num (ln + rn)

(Num ln, Add (Num rn) re) \rightarrow

Add (Num (ln + rn)) re

(Add (Num ln) le, (Num rn)) \rightarrow

Add (Num (ln + rn)) le

(Add (Num ln) le, Add (Num rn) re) \rightarrow

Add (Num (ln + rn)) (Add le re)

(le, Num rn) \rightarrow Add (Num rn) le

(le, re) \rightarrow Add le re

