

27-1/

Parsing : string \Rightarrow tree of a program

"return 1 + 2 * 3;"

\Rightarrow return

↓

+

↓

↓

↓

*

↓

↓

2

3

flex/yacc

antlr

packrat-parsing

parser combination library

27-2 / bytecode

compiler : $expr \rightarrow \text{binary_format}$

cek : $expr \rightarrow \text{ans}$

cek.c

```
void cek_eval (expr_t *o)
```

```
hl : expr  $\rightarrow$  c-program
```

```
(+ 1 2)  $\Rightarrow$  #include "cek.c"
```

```
void main () {
```

```
cek_eval (make_add (make_num(1),  
make_num(2)))
```

27-3/

~~cc~~ cc : C \Rightarrow x86

pentium : x86 \Rightarrow ans

jc : j \leftrightarrow jb

jum : jb \rightarrow ans

"return 1+2*5" \rightarrow "(+ 1 (* 2 3))"

0 \rightarrow Num (1) 4 \rightarrow +

1 \rightarrow App (2) 5 \rightarrow *

2 \rightarrow Empty (0)

3 \rightarrow Cons (2)

\downarrow 1 4 3 0 1 3 1 5 3 0 2 3 0 3

2 2

\downarrow

1	3		4
---	---	--	---

27-4/

hl : - parse, design, emit // code
 └── optimization

e_1 into e_2 iff $\forall C \quad C[e_1] \equiv C[e_2]$
 $\wedge \quad m(e_1) < m(e_2)$

$(+ \ 1 \ (x \ 2 \ 3)) \rightarrow 7$

$(+ \ 1 \ (+ \ 3 \ z)) \rightarrow (+ \ 4 \ z)$

opt (Add (Num x) (Add (Num y) e))
= (Add (Num (x+y)) (opt e))

275/

opt (Add lhs rhs) =

let lhs' = opt lhs

rhs' = opt rhs in

case lhs' of

Num 0 \rightarrow rhs'

Num x \rightarrow case rhs' of

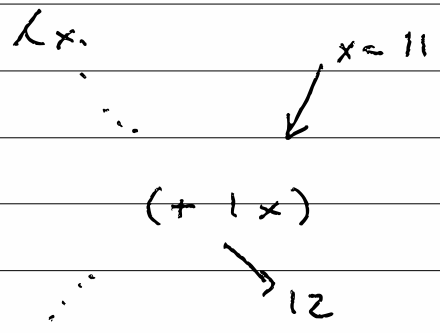
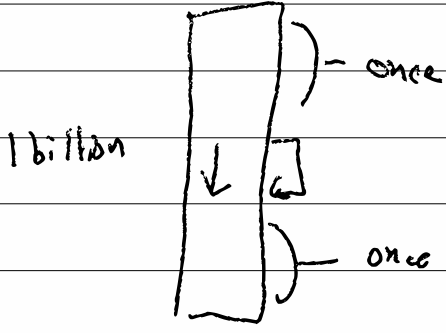
Num y \rightarrow Num (x + y)
Add (Num y) \rightarrow Add (Num (x + y))
 \rightarrow Add lhs' rhs'

\rightarrow case rhs' of

Num 0 \rightarrow lhs'

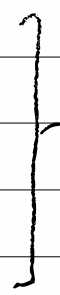
Num y \rightarrow Add (Num y) lhs'

27-6 JIT - a just in time compiler



27-7/

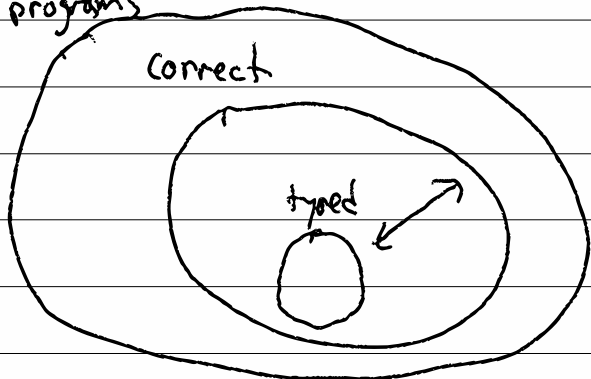
editors
syntax highlighter
packages
documentation



software
engineering

27-8 / more advanced type systems

programs



Haskell

↳ type engineering

type classes

Dependent types

via like Coq or

Agda

: Arg ← JS, Py, Ruby

27-9/ sort = fun

fun 2 → 1

List × (Arg × Arg → Bool) → List

↙ C/Pascal

↙ Haskell

∀x. List<X> × (X × X → Bool) → List<X>

↙ Coq

∀x. (il: List<X>) × (lt: X × X → Bool)

→ { ol: List<X> | Permutation il ol
∧ Ordered lt ol }

∫ runs in $O(n \lg n)$