

1-1

+ , - ~~F~~  
1, 0 - binary bits

3 2 1 0  
1, 2 9 9  
↑  
smallest  
 $1 \times 10^3$

0 1 0 1 = B : index  $\rightarrow$  bit  
↓ ↓ ↓ ↓  
3 2 1 0  
 $B_2 = 1$

$$U_2(B) = 2^2 + 2^0 = 4 + 1 = 5$$
$$= \sum_{i=0}^n B_i \times 2^i$$

0 1 1 1 = 7  
sign 3 bits of quantity

1 1 1 1 = -7?  
negative

$$N_2(B) = (-1)^{B_n} \times \left( \sum_{i=0}^{n-1} B_i \times 2^i \right)$$

sign-magnitude

+0  $\rightarrow$  0000 1000  
-0  $\rightarrow$

Two's Complement

$$TC_2(B) = -B_n \times 2^n + \left( \sum_{i=0}^{n-1} B_i \times 2^i \right)$$

0 1 1 1 = 7

1 1 1 1

$$2^3 + 2^2 + 2^1 + 2^0 = 2^3$$

0 1 1 1

$$7 - 8 = -1$$

+ 1 1 1 1

$$0 1 1 0 = 2^2 + 2^1 = 6$$

Two's :  $-B_n \times 2^n$

Ones' :  $-B_n \times (2^n - 1)$

$$1111 \gg 1 = 0111$$

(n & (1 << x) > 0)

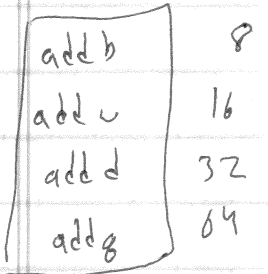
$$C : 5 + x \quad (4 - 11)$$

= n's x bit is 1

-2/ Bit-width is the length of B vector  
 (byte n=8) (or octet)

				min size of	x86-32	x86-64
char	8	4	1	8	8	8
short	8			16	16	16
int	16			16	32	32
long	32			32	32	64
long long	64			64	64	64

uint8\_t, uint16\_t, uint32\_t



sizeof (x) x = var, or type

$$x-1 < x < x+1$$

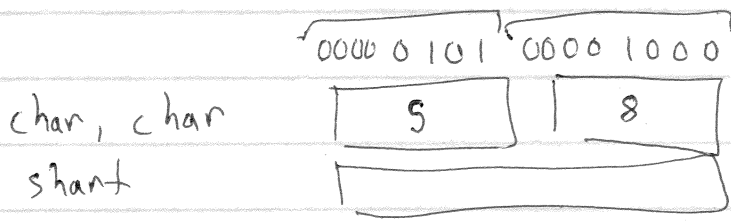
$$a+b \text{ mod } 2^n$$

```

for (int i=0; ; i++) {
  if (i < i+1) continue;
  printf ;
  exit
}
  
```

54, 389, 399, 127, 133  
 + 10,000,000

(32-bit) (32-bit)  
 BigInt



LSB is highest in memory => Big Endian  
 LSB is lowest => Little Endian