

15-3 | expose : turn (vector e...) into (alloc) (set! ...)

1 (let ([f r2]) f) \rightarrow \$f
 2 (define (f ...) ...) f \rightarrow !eag f(%rip), %rax

[(:ref x)
 (if x is a fun \rightarrow 1. tag name with !
 (:function-ref x) \Rightarrow horrendous
 (:ref x))]

2. Look at Γ and if fun

expose : e * t₁ \rightarrow e \Rightarrow broken
 expose' : {id} e * t₁ \rightarrow e
 \uparrow
 global fns
 3. track fns
 compute a set of names

(prog def... expr)
 \Rightarrow (prog' def... (define (main) : r(expr) expr) ~~(main)~~ 'main)

(prog e) \Rightarrow (flat-prog vs ^{flat}e)
 (prog d... m) \Rightarrow (flat-prog fd... m)
 expr vs flat-e

(movq argn-storage, argn-var)
 (define (add1 x) ...)
 (movq %rdi, \$x)
 ... assume \$x is in %r11 or -8(rbp)

(set! lhs (app fun args ...))

\Rightarrow fun-stmt ...
 args-stmts ...
 save caller-saves
 move args into place
 lhs would be
 arg

(indirect call fun-arg) restore caller + restore arg stacks
 (movq rax lhs)

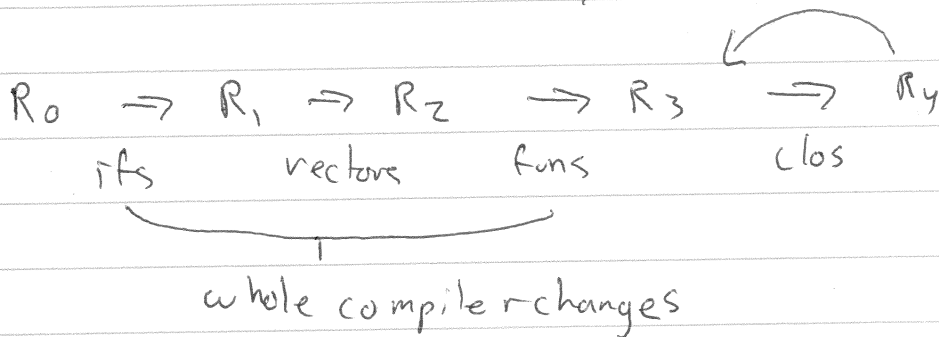
6-1) callq * %rax
leaq - add 1(%rip), %rax ↑

(R4) (define (f x)
 (let ([y 7])
 (λ (z)
 [(+ x (+ y z))]))))

(+ ((f 2) 3)
 ((f 4) 5))

↓
 (+ 12 16) ⇒ 28

↓ free-vars = x, y, z



3) (define (fz z)
 (+ z (+ 7 z)))
 (define (fy z) (+ (fz 3) (fy 5)))
 (+ 4 (+ 7 z)))
 (+ (fz 3) (fy 5)))

ii) (define (mk x)
 (let ([v (vector x)])
 (λ (y)
 (~~begin~~ + (vector-ref v 0)
 (begin (vector-set! v 0 y)
 y))))))
 (let ([y (mk 12)]) (+ (y 3) (y 9)))
 12+3 3+9

b-2/ (R4) (-1 (x) 5)

↓
(R3) ~~1~~

(vector fun12) (define (fun12 x) 5)

(R4) (f a) (f = -x. 5)

↓

(R3) (vectorref f 0) a)

(R4) (let ([y 7])
(-1 (x) (+ x y)))

⇒

(R3) (let ([y 7])
(vector fun14
y))

(f a)

(define (fun14 clo x)

↓ (vectorref f 0)

(let ([y (vectorref clo 1)])

~~(vectorref clo 1)~~ f
a)

(+ x y)))

(R4) (let ([y 7]
[x 12]
[z 19])

(vector fun15 y x z) _{ooo} (x → 12
y → 7
z → 19)

⇒ (vector fun15 clo-around)

(-1 (a) (+ a z)))

(vector fun15 z)

↘ (define (fun15 clo a)

(R4) (let (100 things
(vector (-1 () 99 things) (no a)
(-1 () 99 things) (no b)))

① [z (vectorref clo 3)]

② [z (vr (vr clo 1) 2)]

③ [z (vr clo 1)]

~~(λx) (λy) (+ x y)~~

(app (app (lambda: ([x : Num]) : ~~Num~~ (\rightarrow Num Num)
(lambda: ([y : Num]) : Num
(+ x y))))

7)

8)

\Downarrow

(define: (fun 1 [clo : (Vector ②)]
[x : Num])

: (Vector ① Num)

(vector fun 2 x))

(define: (fun 2 [clo : (Vector ① Num)]
[y : Num])

: Num

(let ([x (vector-ref clo 1)])

(+ x y))

~~(app~~ (let ([clo 1
(app (vector-ref clo 2 0)
clo 1
8))

(let ([clo 2
(vector fun 1)])
(app (vector-ref clo 2 0)
clo 2
7))])

fun 1 : (V ②) Num \rightarrow (V ① Num)

fun 2 : (V ① Num) Num \rightarrow Num

② : ~~Γ~~ Γ fun 1

① : ~~Γ~~ Γ fun 2

① = $(\cup x_i (V \times N) N \rightarrow N)$

① = (V ① N) N \rightarrow N

"closure"

② = (V 2) N \rightarrow (V ① N)

16-4) lambda-lifting
closure-conversion

cloconv : $R_4 \Rightarrow (\text{list of Defs}) \times R_3$

$$\text{cloconv } (S) = \varepsilon \times S$$

$$\begin{aligned} \text{cloconv } (l + r) &= (dl, l') = \text{cc}(l) \\ &\quad (dr, r') = \text{cc}(r) \\ &\quad (dl ++ dr, (+ l' r')) \end{aligned}$$

$$\begin{aligned} \text{cc } (\lambda x. e) &= ((\text{define (fun12 clo x)} \\ &\quad (\text{let } ([fv_i (vr clo i)]]) \\ &\quad e')) \\ &\quad (\text{vector fun12 } fv_i \dots)) \end{aligned}$$

$$\begin{aligned} (\text{cc } (f a)) &= (df ++ da , \\ &\quad (\text{app } (vr f' 0) f' a')) \end{aligned}$$

