

7-2

$$\text{flatten} : \mathbb{R}_2 \rightarrow C_2 \rightarrow$$

$$e = (+ e_1 e_2)$$

$$(if e_1 e_2 e_3)$$

$$a = \text{num} \mid \text{var}$$

$$e = (+ aa) \mid (- a)$$

$$s = (\text{ret } a) \mid (\text{set! } x \times e)$$

$$\#t/\#f \rightarrow a$$

$$P = S \dots$$

(cmp a a)

and/or/not/cmp $\rightarrow e$

$$\text{if } e \in E \rightarrow \begin{cases} \text{if } e \in C_S & \leftarrow \text{US} \\ x_1, y, z \in C_S & \leftarrow \text{patch step} \end{cases} \quad S = \dots \mid (\text{if } a \ s \ s)$$

not
ret

$$\text{flatten (if } e_1 \ e_2 \ e_3) = (vs, \text{stmts...}, \text{ret } a)$$

$$(vs_1, \text{stmt}_1, r_1) = \text{flatten } (e_1) \quad // \text{cond}$$

$$(vs_2, \text{stmt}_2, r_2) = \text{flatten } (e_2) \quad // \text{true}$$

$$(vs_3, \text{stmt}_3, r_3) = \text{flatten } (e_3) \quad // \text{false}$$

$$< vs = \{ \text{ans} \} \cup vs_1, vs_2, vs_3$$

$$st = \text{stmt}_1 ; (\text{if } \underbrace{\text{cmp } a_1 \#t}_{\text{eg?}}) \quad \left[\begin{array}{c} \text{stmt}_2 \\ \text{ans} \leftarrow r_2 \end{array} \right] \quad \left[\begin{array}{c} \text{stmt}_3 \\ \text{ans} \leftarrow r_3 \end{array} \right]$$

$$r = \text{ans}$$

>

<

optimize with

$$T(F, (\text{if } e \ #t \ 1))$$

= type

(int \cup bool)

\Rightarrow types as sets
and predictions

(int \cap bool) \Rightarrow types as "what

you can do"

 \Rightarrow OO

$$\text{flattencmp} = (vs, \text{stmts...}, (\text{cmp } a \ a))$$

$$fc(\#t) = (\emptyset, \dots, (\text{eg? } \#t \ #t))$$

$$fc(\#f) = (\emptyset, \dots, (\text{eg? } \#f \ #t))$$

$$fc((< a_1, a_2)) = (vs_1 \cup vs_2, \text{stmt}_1 \dots \text{stmt}_2, \dots)$$

$\{\hookrightarrow \text{calls flatten}\} (< a_1, a_2)$

$$(vs_1, \text{stmt}_1, a_1) = f(e_1)$$

$$(vs_2, \text{stmt}_2, a_2) = f(e_2)$$

more complicated if

$$(\text{if } (\text{number? } x) \dots$$

 $x : (\text{int} \cup \text{str})$

$$(+ 1 x)$$

$$(\text{strlen } x))$$

$$T : F \times e \rightarrow Ty \quad : \text{int}$$

 \Rightarrow Racket

x Props that are true if e is true

x Props that are true if e is false

9-1 asm, select, liveness, interference, assign-homes, patch, optimizations

(+ x y) \Rightarrow addq y, x (deal with $D \leftarrow D+S$)
#t $\Rightarrow \$1$ #f $\Rightarrow \$0$

(not x) \Rightarrow notq x \sim ^{arg} 0001 \Rightarrow 1110
 $1 \Rightarrow 0$
 $0 \Rightarrow 1$
 $\Rightarrow \text{xor } x, \1 ^{Input}

1	0
0	0

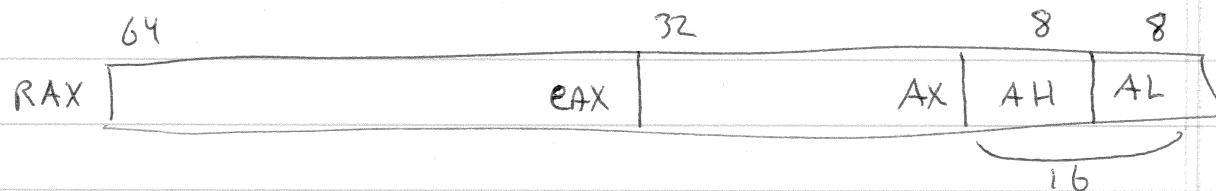
 andq x, ~

or subq \$1, x xor 1 0 $D \leftarrow D-S$

1	0	1
0	1	0

(< 3 4) \Rightarrow cmpq \$3, \$4 sets FLAGS

branch \nwarrow \rightarrow real flags
je - jump if eq is set \rightarrow set e dst
jle - jump if \leq is set



unsigned - mov z b6 0...0 10010000 $\rightarrow 128 + 16 = 144$

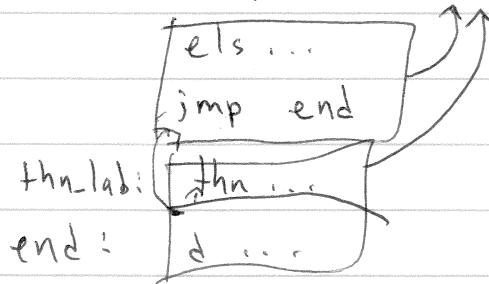
signed - mov s b6 ~~000~~ 0111110 $\rightarrow -2$
1...1

label: mory

addq (if (cmp a1, a2) then els) d...

cmpq \Rightarrow cmpq a1, a2
je label jcmp then-lab:

movq



9-2)

~~##, #R~~ \Rightarrow (set! name ~~\$0/\$1~~ \$0/\$1)

(set! x ##) \Rightarrow (movq x \$1)

(set! lhs

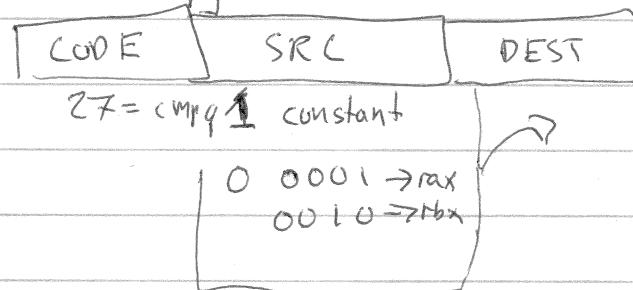
(cmp a1 a2)) \Rightarrow cmpq a2 a1

-eq

~~sete~~ a1

movzbq a1, lhs

format



addr -8(rbp), -16(rbp)

L_{before} = F(L_{after})

F(x) = (x - w(I)) ∪ R(I)

select-inst(if) = (if (sic) (sift) (sie))
(if cte)

Liveness((if cmp a1 a2 (t..) (e..)), L_{after})

L_t^B = Liveness((t..), L_{after})

L_e^B = Liveness((e..), L_{after})

return (L_t^B ∪ L_e^B) ∪ Vars(a1) ∪ Vars(a2)

{P} (if cmp + e) {Q}

$\Leftarrow \{P \wedge \text{cmp}\} + \{Q\}$

$\{P \wedge \overline{\text{cmp}}\} \in \{Q\}$

9-3] $(\text{cmpq } a_2 \ a_1)$
↓
must be a
reg or addr

$\text{cmpq } \$3, \4

↓

$\text{movq } \$3, \%rax$

$\text{cmpq } \%rax, \$4$

$(\text{if } \#+ \ A \ B) \Rightarrow A$ dead-code elimination DCE
 $(\text{if } (< 3 \$) \ A \ B) \Rightarrow A$ "partial-evaluation" / "constant-folding"

$(\text{if } (\text{not } X) \ A \ B) \Rightarrow (\text{if } X \ B \ A)$ GCC does, except when you say

$(\text{if } (\text{begin } X \ Y) \ A \ B) \Rightarrow X ; (\text{if } Y \ A \ B)$

$(\text{if } (\text{begin } X \ \text{++}) \ A \ B) \Rightarrow X ; A$

$X = \text{new } (\text{cons } 1, 2); \Rightarrow A$

$(\text{if } (\text{new } C \ \xrightarrow{A}) \ T \ F) \Rightarrow \xrightarrow{A} ; T$

$\text{if } C \ (\text{let } ([X \ a]) \ T) \Rightarrow (\text{let } ([X \ a])$
 $F) \quad (\text{if } C \ T \ F))$

$X \notin \text{FV}(C) \cup \text{FV}(F)$

a has no effect

\Leftarrow